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ID2203 - Distributed Systems, Advanced Course

Exam Preparation

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Exam Structure

- 2 Sections, 50P total
 - 30P Multiple Choice Questions
 - 20P Reasoning Questions
- 4h total time
- “Closed book”
 - May take a dictionary, if you need it

MCQ Example

Let $v(e)$ denote the vector clock of event e , and $t(e)$ denote the Lamport logical clock of event e . Which of the following statements are true?

- (a) $v(a) < v(b)$ implies that $t(a) < t(b)$
- (b) $t(a) < t(b)$ implies that $v(a) < v(b)$
- (c) $v(a) < v(b)$ implies that $\neg(t(b) < t(a))$
- (d) $t(a) < t(b)$ implies that $v(a) \leq v(b)$

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- (a) $v(a) < v(b)$ implies that $t(a) < t(b)$ +1/2P
- (b) $t(a) < t(b)$ implies that $v(a) < v(b)$ -1/2P
- (c) $v(a) < v(b)$ implies that $\neg(t(b) < t(a))$ -1/2P
- (d) $t(a) < t(b)$ implies that $v(a) \leq v(b)$ +1/2P

MCQ Point Total

- The MCQ part of the exam is subdivided into multiple subsections (e.g., *Basic Abstractions & Failure Detector*)
- Each section has an associated point total (2P/Question)
- Section point total will be $\max(0, s)$, where s is simply the sum of all individual questions within the section
- This means negative points do not carry across sections!

What to learn?

- All of the formal definitions
- All of the system/failure models
- All of the abstractions (their properties)
- Relationships between the abstractions (reductions)
- The high level mechanisms that make the algorithms work, e.g.
 - Read-Impose mechanism
 - Paxos invariants
 - log reconciliation in Raft

What not to learn?

- Correctness Proofs for the algorithms
 - Though it might help you learn the mechanisms to read them again
- Pseudocode for the algorithms
 - You'll be given that in the exam, if required



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Exercise I

Does the following statement satisfy the synchronous-computation assumption?

On my server, no request ever takes more than 1 week to be processed.



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Exercise 1

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On my server, no request ever takes more than 1 week to be processed.

Yes! Known constant bound: 1 week

Exercise 2

In a fail-stop model, mark the following properties as safety or liveness.

- L** 1. every process that crashes is eventually detected
- S** 2. no process is detected before it crashes
- S** 3. no two processes decide differently
- S** 4. no two correct processes decide differently
- S** 5. every correct process decides before τ time units
- L** 6. if some correct process decides then every correct process decides.

Exercise 3

Why do we need partial synchrony in Paxos? Which property of Uniform Consensus cannot be achieved if Paxos is used in an asynchronous model?

Uniform Consensus Properties:

- (1) Termination: Every correct process eventually decides on some value*
- (2) Validity: If a process decides v , then v was proposed by some process*
- (3) Integrity: No Process decides twice*
- (4) Uniform agreement: No two processes decide differently*

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(1) Termination

The system does not know if a process has failed or if it is just slow. May happen that proposers race each other forever!

Exercise 4

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Can we devise a uniform reliable broadcast algorithm with an eventually perfect failure detector but without assuming a majority of correct processes?

No, we cannot. The uniform agreement property may be violated if values are lost during a partition.

Uniform Agreement: For any message m , if a process delivers m , then every correct process delivers m

Exercise 5a

Suppose an algorithm A implements a distributed programming abstraction M using a failure detector D that is assumed to be eventually perfect. Can A violate a safety property of M if D is not eventually perfect, for example, when D permanently outputs the empty set?

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Assume by contradiction that A violates some safety property of M if D does not satisfy its properties.

Exercise 5a

Suppose an algorithm A implements a distributed programming abstraction M using a failure detector D that is assumed to be eventually perfect. Can A violate a safety property of M if D is not eventually perfect, for example, when D permanently outputs the empty set?

No, because if that were possible A could already violate the same property if D were eventually perfect (during the non-perfect time)

Exercise 5b

Suppose an algorithm A implements a distributed programming abstraction M using a failure detector D that is assumed to be eventually perfect. Can A violate a safety property of M if D is not eventually perfect, for example, when D permanently outputs the empty set?

Now, what about a liveness property?

Exercise 5b

Suppose an algorithm A implements a distributed programming abstraction M using a failure detector D that is assumed to be eventually perfect. Can A violate a safety property of M if D is not eventually perfect, for example, when D permanently outputs the empty set?

Now, what about a liveness property?

Sure, anything that relies on at least some nodes being alive to make progress can be violated like this.